Spatio-Temporal Salient Features

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Applications

- Automated surveillance for scene analysis,
- Elderly home monitoring for assisted living,
- Content-based video retrieval,
- Human-computer interaction (HCI), ...





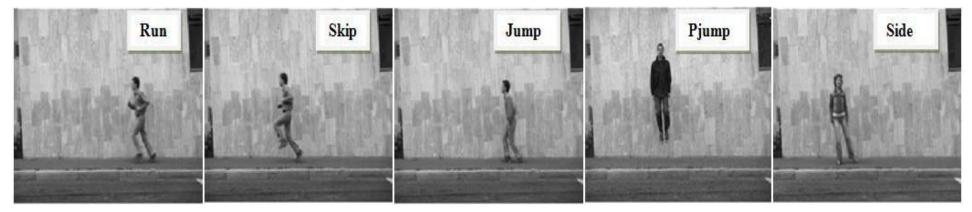




Application

Human Action Recognition (Weizmann data set)





Motivations

- Conventional video analysis methods require tracking the objects or features and motion estimation.
 - segmentation is hard in presence of non-stationary background or sensory.
 - appearance/ motion model varies from one object to another.

Motivations (2)

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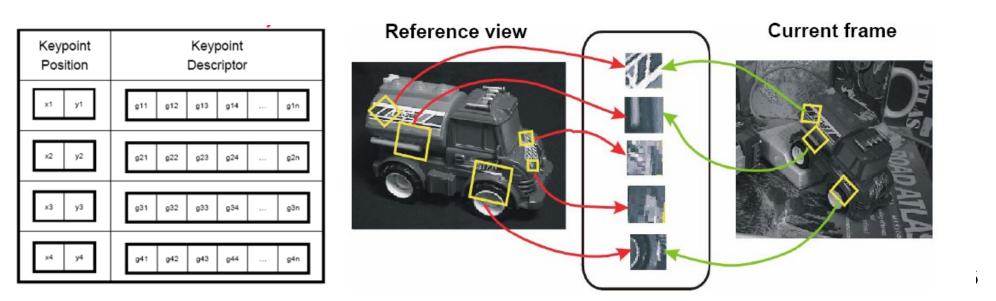
- Q: is there any way to bypass these tasks or perform them implicitly?
 - there are key frames and key places in the video that carry most information of what is happening in the video.
- The key space-time points correspond to the video events.
- Salient features characterize the video events.

Motivation (3): from image to video

- Spatial Salient Features
- Applications: Tracking, Object Recognition,....

Two steps in detection:

(On-line) Select and Match



1. (Off-line) Select

Salient Feature Extraction

- Salient feature extraction consists of three steps:
 - Video filtering at different spatio-temporal scales
 - Key point detection
 - Key point description using the characteristic of the point's surrounding volume.

Key point detection:

- (1) Saliency map construction
- (2) non-max suppression (and thresholding)

2D Harris-Affine Corner Detector

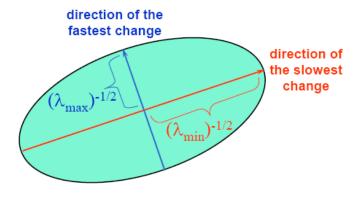
(1) compute gradient distribution matrix (M) in a local neighbourhood of a point.

$$M = \sigma_D^2 g(\sigma_I) \begin{bmatrix} I_x^2(\mathbf{x}, \sigma_D) & I_x I_y(\mathbf{x}, \sigma_D) \\ I_x I_y(\mathbf{x}, \sigma_D) & I_y^2(\mathbf{x}, \sigma_D) \end{bmatrix}$$

(2) find points for which both curvature are significant.

$$C = \det(M) - k \operatorname{trace}^{2}(M)$$
$$= \lambda_{1}\lambda_{2} - k (\lambda_{1} + \lambda_{2})^{2}$$

Corners are stable in arbitrary lighting condition.



Spatio-temporal Harris Corners

Q: Interest? high variation in both space and time.

- => Extend the Harris corner function into 3D spatio-temporal domain.
- Spatial and temporal Gaussian filtering in the computation of the autocorrelation matrix. $(L^2 L_{x}L_{y} L_{y}L_{y})$

$$\mu = g(\cdot; \sigma_i^2, \tau_i^2) * \begin{pmatrix} L_x & L_x L_y & L_x L_t \\ L_x L_y & L_y^2 & L_y L_t \\ L_x L_t & L_y L_t & L_t^2 \end{pmatrix},$$

 $L_{\xi}(\cdot; \sigma_l^2, \tau_l^2) = \partial_{\xi}(g(\cdot; \sigma_l^2, \tau_l^2) * f)$

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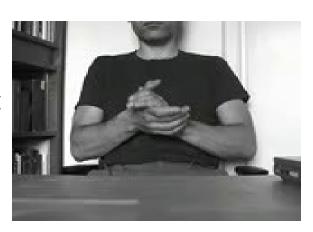
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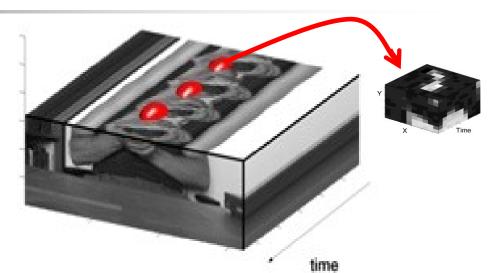
(1) Compute the Harris saliency map.

 $H = \det(\mu) - k \operatorname{trace}^{3}(\mu) = \lambda_{1}\lambda_{2}\lambda_{3} - k(\lambda_{1} + \lambda_{2} + \lambda_{3})^{3},$ (2) Points with maximum saliency in a local volume => 3D corners.

Spatio-temporal Harris Corners

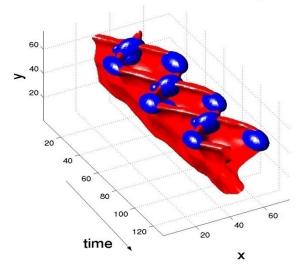
Hand clapping





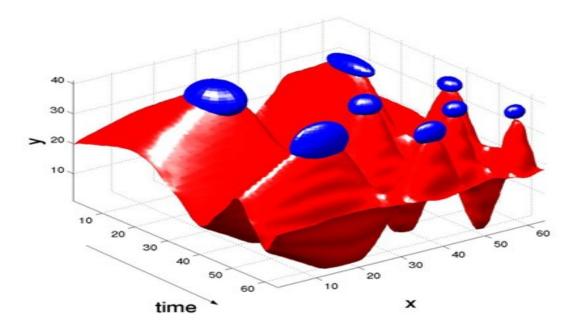
Walking





Why Multi-scale Salient Features?

 Spatial and temporal scale events require salient features at different spatial and temporal scales.



Spatio-temporal Hessian Blobs

Extension of the Hessian blob detector into 3D spatio-temporal domain:

 Spatial and temporal Gaussian filtering in the computation of the Hessian matrix .

$$H(\cdot;\sigma^2,\tau^2) = \begin{pmatrix} L_{xx} \ L_{xy} \ L_{xt} \\ L_{yx} \ L_{yy} \ L_{yt} \\ L_{tx} \ L_{ty} \ L_{tt} \end{pmatrix}$$

(1) Compute the determinant of Hessian matrix as the saliency map.

$$S = |\det(H)|$$

(2) Points with maximum saliency in a local volume => center of 3D blobs.



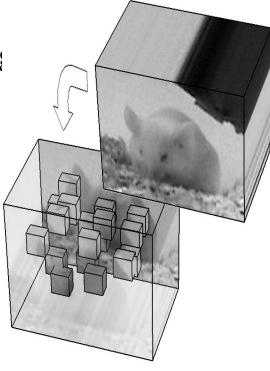
Spatial Gaussian along with temporal Gabor filtering

$$h_{ev}(t;\tau,\omega) = -\cos(2\pi t\omega)e^{-t^2/\tau^2}$$

$$h_{od}(t;\tau,\omega) = -\sin(2\pi t\omega)e^{-t^2/\tau^2}$$

(1) Compute the energy of the filter response

$$R = (I * g * h_{ev})^2 + (I * g * h_{od})^2$$



(2) Points with maximum energy in a local volume => center of cuboids.

Other Spatio-temporal key Points

- Entropy-based interest points
- Dense sampling interest points
- 3D Scale-Invariant Feature Transform
- Salient opponent-based motion features (our paper in CRV 2010)

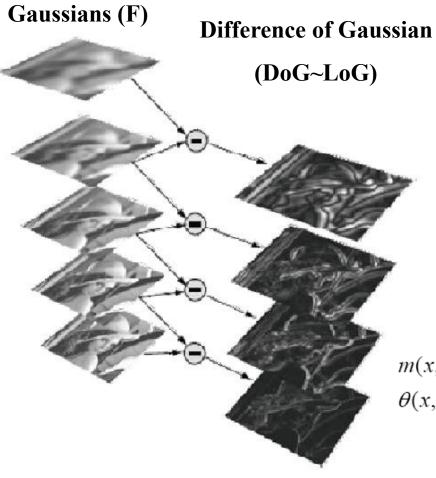
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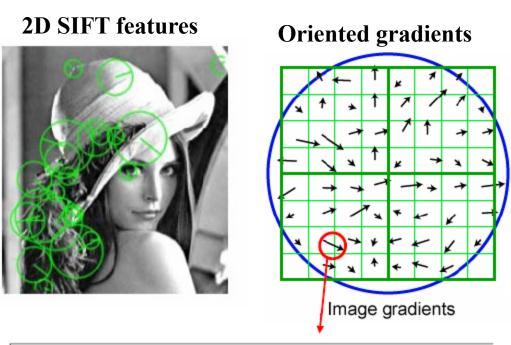
Spatio-temporal Feature Description

So far:

- For event detection in video, we utilize the salient features.
 - Video filtering at different spatio-temporal scales
 - Key point detection
 - Key point description using the characteristic of the point's surrounding volume.

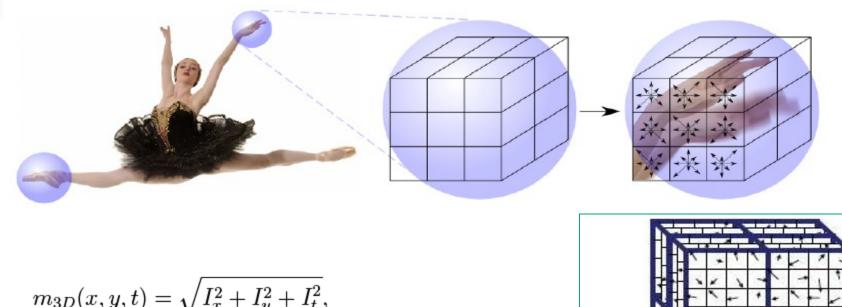
2 Dimensional Scale-Invariant Feature Transform





 $m(x, y) = \sqrt{(F(x+1, y) - F(x-1, y))^2 + (F(x, y+1) - F(x, y-1))^2}$ $\theta(x, y) = \operatorname{atan}((F(x, y+1) - F(x, y-1))/(F(x+1, y) - F(x-1, y)))$

3D SIFT Descriptor

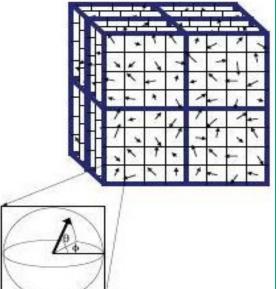


$$m_{3D}(x, y, t) = \sqrt{I_x^2 + I_y^2 + I_t^2},$$

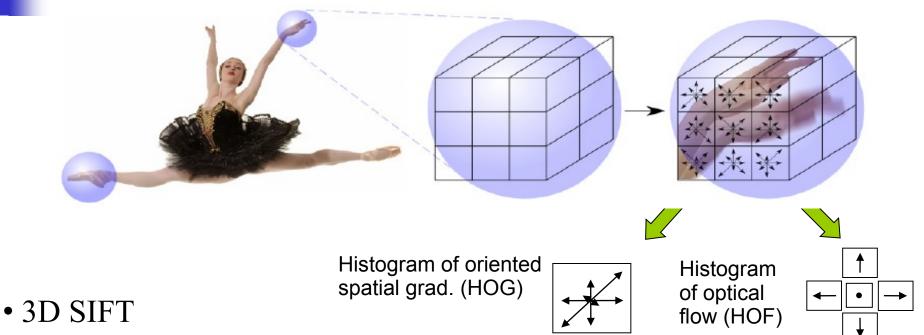
$$\theta(x, y, t) = \arctan\left(\frac{I_y}{I_x}\right),$$

$$\phi(x, y, t) = \arctan\left(\frac{I_t}{\sqrt{I_x^2 + I_y^2}}\right)$$

$$hist(i_{\theta}, i_{\phi}) = m_{3D}(x', y', t') e^{\frac{-((x-x')^2 + (y-y')^2 + (t-t')^2)}{2\sigma^2}}$$



Other Feature Descriptors



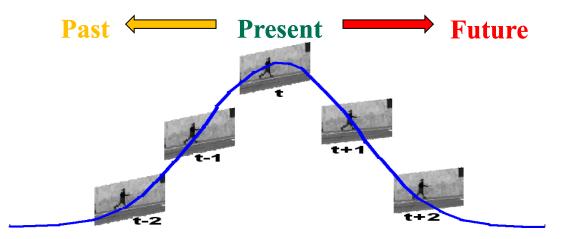
- 3D HOG
- HOG + HOF
- Local jets , ...

Summary

- For video analysis we can study the events characterised by spatiotemporal salient features.
- Spatial and temporal scale events require salient features at different spatial and temporal scales.
- Salient feature extraction requires scale-space filtering, interest point detection, and feature description.

A Challenge: Time Causality

Temporal Gaussian/Gabor filter requires both prior and posterior frames.



Biological vision promotes causal filtering for the motion perception.
 Q: how we can address the time causality?

A: come to our paper presentation on Wednesday ③

References

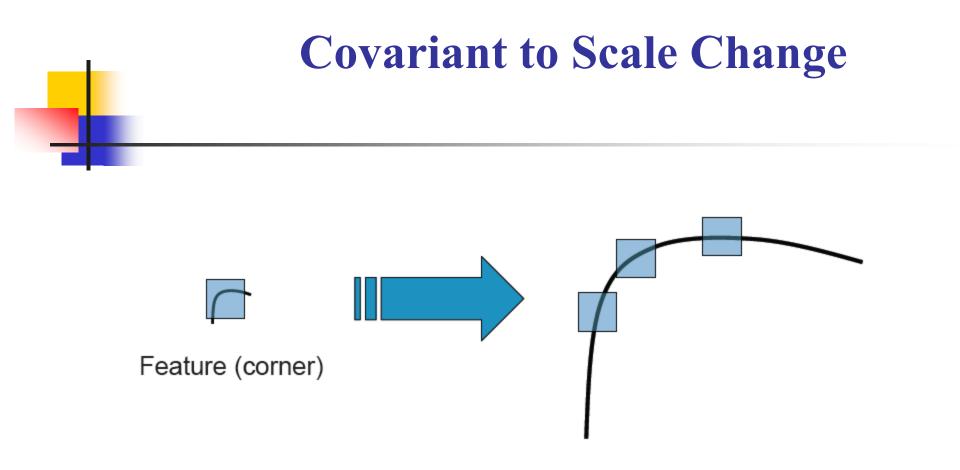
- Evaluation of local spatio-temporal features for action recognition, Wang et al., BMCV, 2009
- **Space-time interest points,** Laptev and Lindeberg, ICCV 2003.
- Behavior recognition via sparse spatio-temporal filters, Dollar et al., IEEE Workshop VS-PETS, 2005.
- An efficient dense and scale-invariant spatio-temporal interest point detector, Willems et al., ECCV 2008.
- A comparison of affine covariant region detectors, IJCV 2006, Mikolajczyk et al.



Thank you

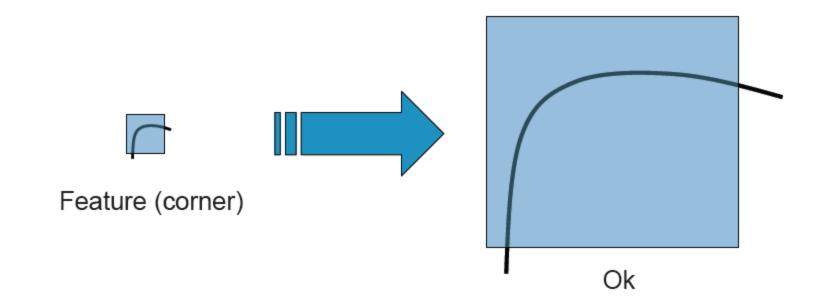
Definition

- Interest point:
 - Distinctive in a local region
 - rich in local image structure, with its surrounding
 - Repeatable : reproducible under different views
 - Stable to noise, geometric/photometric deformation
 - Has well-defined position in the image space

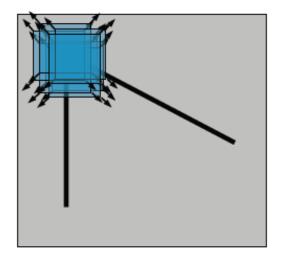


The feature cannot be found anymore (only edges)

Covariant to Scale Change



Some Requirements



Corner: significant changes in all directions

Scale change

Geometric transformation



Photometric transformation





Salient Features

- Scale-Invariant feature Transform (SIFT)
- Harris-affine corner detection
- Hessian-affine corner detection
- Edge-based Regions (EBR)
- Intensity-based Regions (IBR)
- Maximally Stable Extremal Regions (MSER)
- Entropy-based salient regions

Scale- Invariant Feature Transform (SIFT)

Scale-space Theorem:

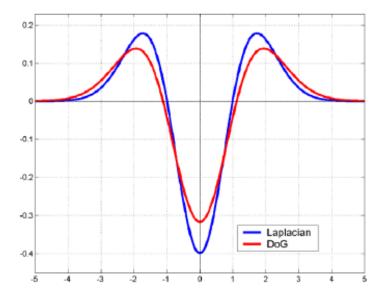
a local (3D) maximum of |NLoG| in (x,y,σ) is a point that can be

identified with different size in images ---> it is a scale-invariant keypoint.

Laplacian Kernel $NLoG(x, y, \sigma) = \sigma^2 \nabla^2 G$

Difference of Gaussians Kernel $DoG(x, y, \sigma) = G(x, y, k\sigma) - G(x, y, \sigma)$

NOTE: both kernels find features invariant to *scale* and *rotation*



Harris-Affine Corner Detector

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